



(Landman 2003). Its goal is to form an expression that can be used for counting actual objects. Finally, EXACT is interpreted as a predicate modifier which yields a subset consisting of the smallest elements of a set of numbers or entities. As such, it introduces the upper bound, and thus contributes exactness to the meaning of a numeral. Due to its typical flexibility it can attach either to [NUM] or to [CARD NUM].

- (4) a.  $\llbracket \text{NUM} \rrbracket_{\langle n,t \rangle} = \lambda m_n. m \geq n$  c.  $\llbracket \text{CARD} \rrbracket_{\langle \langle n,t \rangle, \langle e,t \rangle \rangle} = \lambda P_{\langle n,t \rangle} \lambda x_e. \#(x) \in P$   
 b.  $\text{iota} = \lambda P_{\langle \alpha,t \rangle}. \iota x_\alpha [P(x)]$  d.  $\llbracket \text{EXACT} \rrbracket_{\langle \langle \alpha,t \rangle, \langle \alpha,t \rangle \rangle} = \lambda P_{\langle \alpha,t \rangle}. \text{MIN}(P)$

**Composition.** Combining these ingredients in a compositional fashion leads to the semantic structures in (5). Application of iota to (5-a) returns the unique integer equal to the relevant number, e.g., 4 (Kennedy 2015). A resulting expression is of type  $n$  and can be used as a name of a number concept. On the other hand, (5-b)–(5-d) are object-counting expressions. Note that both (5-c) and (5-d) correctly predict obligatory exact interpretations of numerals in their predicative uses (Partee 1987, Geurts 2006). Moreover, they do not exclude unilaterally bounded interpretations of numerals in attributive position due to existential closure over the individual variable. Hence, for the bilaterally bounded interpretation we assume an exhaustivity operator which composes with the meaning of the whole sentence (Chierchia 2004).

- (5) a. [EXACT NUM] ABSTR.COUNT c. [EXACT [CARD NUM]] OBJ.COUNT  
 b. [CARD NUM] OBJ.COUNT d. [CARD [EXACT NUM]] OBJ.COUNT

**The non-terminal lexicalization model.** To account for the morphological patterns, we adopt the view that lexical entries link morphemes to potentially complex syntactic/semantic structures. In addition, following Starke (2009), we assume that the Superset Principle allows a given morpheme to pronounce *any sub-constituent* contained in its lexical entry. For instance, a lexical entry such as (6-a) can also as pronounce the structure (6-b) or (6-c) since both of these structures are its sub-constituents. However, it cannot pronounce a structure like (6-d), since (6-d) is not a sub-constituent of (6-a). In addition, we assume that there are no cardinals pronouncing only [NUM], but we will independently justify its relevance based on the semantics and suppletive morphology of ordinals and multipliers.

- (6) a. [EXACT [CARD NUM]] b. [CARD NUM] c. [NUM] d. [EXACT NUM]

**Typology.** This system is able to derive all the attested variation by treating different types of numerals as lexicalizations of different structures derived from the universal semantic components, see Table below. In symmetric languages, numerals are stored as complete structures pronouncing all the three heads, which allows them to cover both the abstract-counting and the object-counting function, including unilaterally and bilaterally bounded readings. On the other hand, in asymmetric languages numerals lexicalize only the abstract-counting meaning, and thus require additional morphology in order to be able to modify a noun or be used as a predicate. Finally, in inverse languages, object counting numerals are specified with the reversed hierarchy of EXACT and CARD, i.e., as [EXACT [CARD NUM]]. With such an entry, the numeral can function as an object-counting expression. However, it cannot function as an abstract-counting numeral. This is because the structure [EXACT NUM] is not a sub-constituent of its lexical entry. Therefore, the element EXACT has to be expressed separately. In addition, the system also allows to account for split languages such as Chol which exhibits simultaneously both the asymmetric and symmetric system though in different numerals (Bale & Coon 2014) and suppletive forms of abstract- and object-counting numerals within a single language, e.g., Maltese *tnejn* ~ *żewg* for 2 (Hurford 1998).

| TYPE       | LANGUAGE | NUMERAL                            | ADDITIONAL MORPHEME |
|------------|----------|------------------------------------|---------------------|
| SYMMETRIC  | English  | <i>four</i> ⇔ [CARD [EXACT NUM]]   | ∅                   |
| ASYMMETRIC | Japanese | <i>yon</i> ⇔ [EXACT NUM]           | <i>rin</i> ⇔ [CARD] |
| INVERSE    | Arabic   | <i>taalat</i> ⇔ [EXACT [CARD NUM]] | <i>at</i> ⇔ [EXACT] |

**References.** Bale & Coon (2014) *Classifiers are for numerals, not for nouns* • Bultinck (2005) *Numerous meanings* • Chierchia (2004) *Scalar implicatures, polarity phenomena and the syntax/pragmatics interface* • Fassi Fehri (2018) *Constructing feminine to mean* • Hurford (1998) *The interaction between numerals and nouns* • Kennedy (2015) *A ‘de-Fregean’ semantics for modified and unmodified numerals* • Krifka (1995) *Common nouns: A contrastive analysis of Chinese and English* • Landman (2003) *Predicate argument mismatches and the adjectival theory of indefinites* • Partee (1987) *Noun phrase interpretation and type-shifting principles* • Rothstein (2017) *Semantics for counting and measuring* • Starke (2009) *Nanosyntax: A short primer to a new approach to language* • Sudo (2016) *The Semantic role of classifiers in Japanese*